

# Scalable Data Acquisition for Densely Instrumented Cyber- Physical Systems

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# Outline

- Introduction
- Background
  - Dominance-based MAC protocols
  - Quantity aggregation
  - Interpolation
- Using a physical model in interpolation
- New interpolation algorithm
  - Evaluation Result
- Conclusion

- As a result of advance in electronics technology, sensor design, wireless communication
  - The cost of a sensor node drops toward zero



Economically feasible to densely deploy networks with sensor nodes

- Very dense networks :
  - Better resolution of the physical world
  - Better capability of detecting an event

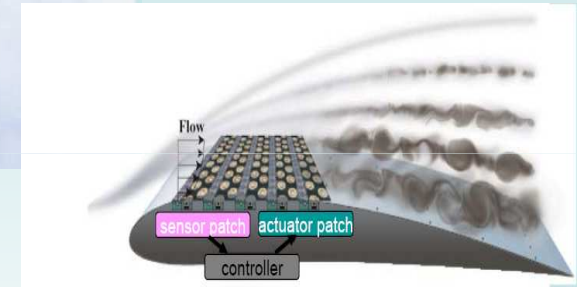


# Application of Dense Networks

- Structural health monitoring (SHM)
  - Visual inspections impose high costs and inconvenience
  - Converts a structure into a 'smart' one with state-of-the-art sensing technology
  - Early detection of damage can save money and lives
    - Reduced Maintenance
    - Increased Longevity (Health)
    - Improved Safety



- Active flow control
  - Aircraft industry



- Biomechanical Aerial Technology System (BATS)
  - Be constructed entirely of distributed systems





# Problem

- Huge number of nodes → Huge Challenges
  - Interconnectivity
  - Data gathering
  - Data processing
- Problem: Design an algorithm for acquiring data in a dense network considering
  - (i) Sensor readings originate from different sensor nodes
  - (ii) Very large number of sensor nodes
  - (iii) Dense network
  - (iv) In a single broadcast domain



# Approach...

- An approximate representation of sensor readings
- An Interpolation of the physical system
  - Based on *all* sensor readings
  - Scalable



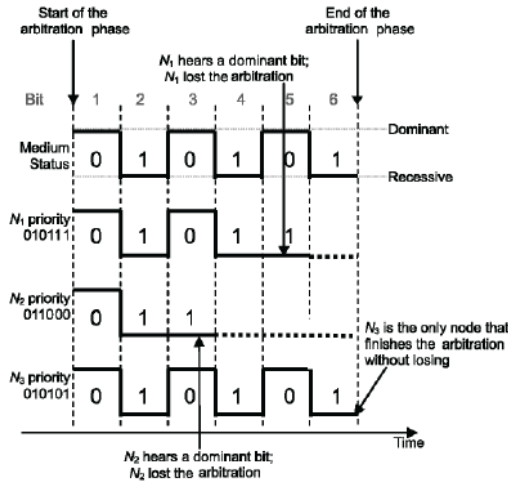
**Using quantity aggregation and Interpolation technique based on dominance protocol**



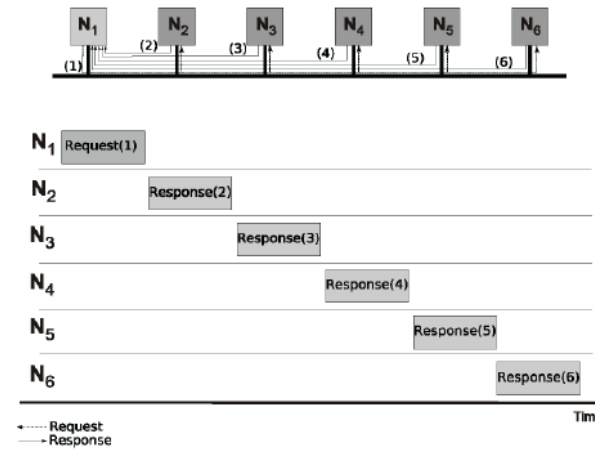
# Background

- Dominance-based Medium Access Control (MAC) protocols
  - Simultaneous “non-destructive” transmission of information in the same broadcast domain
  - Each node sends its unique contention field bit by bit starting from MSB
  - The bus behaves as a logical wired-and
    - Recessive bit (a logical ‘1’)
    - Dominant bit (a logical ‘0’)
- Implementation:
  - Wired Controller Area Network (CAN) bus
  - Wireless: WiDom

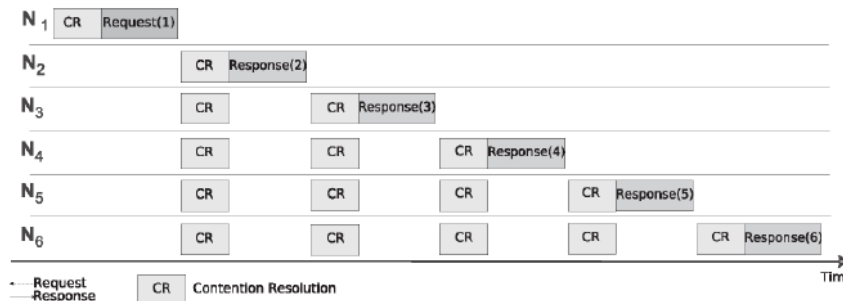
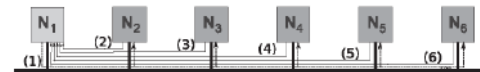




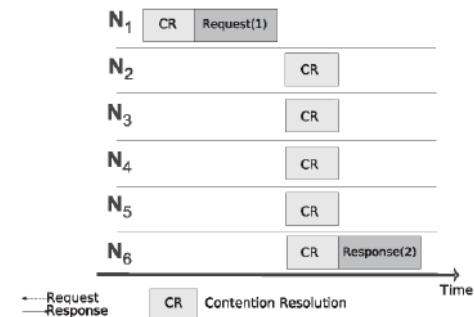
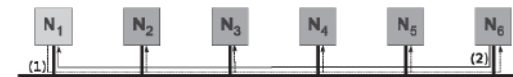
(a) CAN arbitration



(b) Naïve algorithm (TDMA-like MAC)



(c) Naïve algorithm (CAN-like MAC)



(d) Novel algorithm (CAN-like MAC)



# Quantity Aggregation

- Based on *dominance protocols*
  - Possible to gather certain aggregate quantities (MIN, MAX or COUNT)
    - Time complexity of the method is independent of the number of nodes
  - Possible to produce an approximate representation of all sensor readings
    - Due to spatially and temporally correlation of sensor readings

- Interpolation function:

$$f(x, y) = \begin{cases} 0 & \text{if } S = \emptyset \\ s_k & \text{if } \exists q_k \in S : x_k = x \wedge y_k = y \\ \frac{\sum_{k \in S} s_k \cdot w_k(x, y)}{\sum_{k \in S} w_k(x, y)} & \text{otherwise} \end{cases}$$

$$w_k(x, y) = \frac{1}{(x_k - x)^2 + (y_k - y)^2}$$

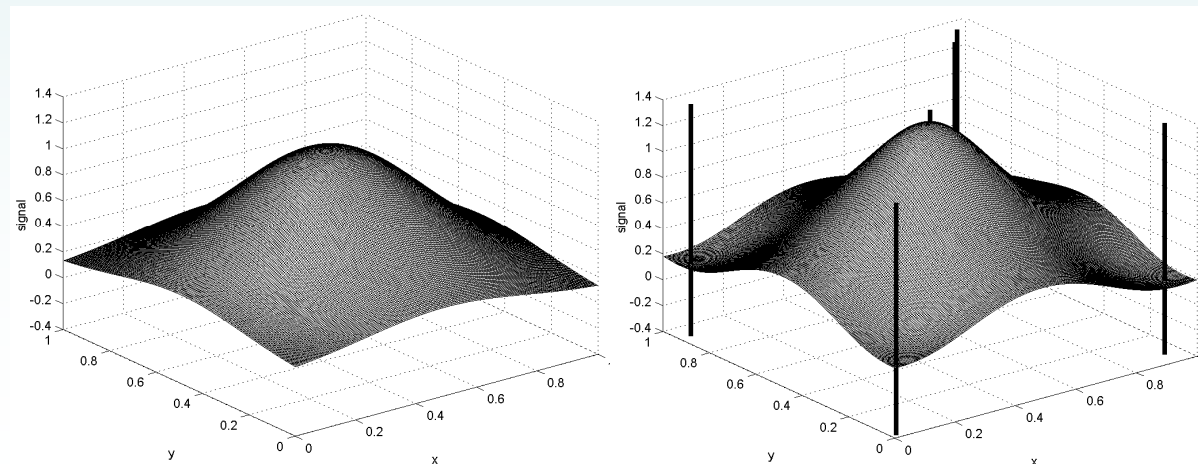
- Error of the interpolation at sensor node  $N_i$

$$e_i = |s_i - f(x_i, y_i)|$$

- Maximum overall error

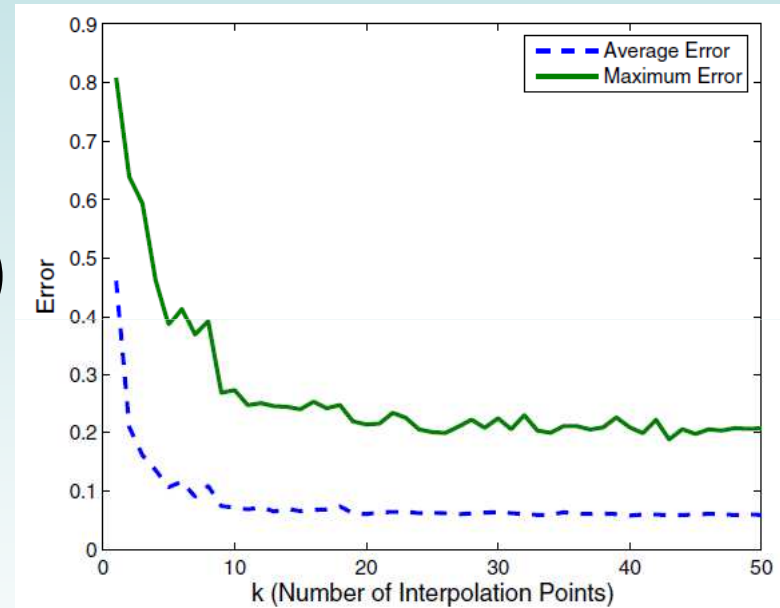
$$e = \max_{i=1..m} e_i$$

- 1:  $S \leftarrow \emptyset$
- 2: **for**  $j \leftarrow 1$  **to**  $k$  **do**
- 3:     calculate the interpolation function  $f(x_i, y_i)$  based on  $S$
- 4:     calculate  $e_j$ .
- 5:     select a sensor node  $N_k$  with the maximum  $e_k$ , that is  $e_k = e$ . This can be achieved using the previous MAX computation.
- 6:     the location and the sensor reading of  $N_k$  forms a control points; add this control point to  $S$
- 7: **end for**



- Basic interpolation algorithm

- Signal with slow changes  
(slower than the time  
execution of the algorithm)



- Fast changing signal?

- Algorithm can not follow the changes in signal...

## Embedding a model of the dynamics of the physical world in the algorithm

- The better the model, the lower the interpolation error
- What do we need?
  - A simple framework
    - (i) Sufficiently expressive
    - (ii) Execute efficiently



# Proposed Model

## Performing a linear transformation on each element in $S$

- Allows different operations to the signals
  - Increasing/ Decreasing
  - Scaling
  - Translation
  - Rotation




# Framework

- 1:  $S \leftarrow \emptyset$
- 2: **for**  $j \leftarrow 1$  to  $k$  **do**
- 3:   calculate the interpolation function  $f(x_i, y_i)$  based on  $S$
- 4:   calculate  $e_j$ .
- 5:   select a sensor node  $N_k$  with the maximum  $e_k$ , that is  $e_k = e$ . This can be achieved using the MAX computation mentioned in Section II.
- 6:   the location and the sensor reading of  $N_k$  forms a control point; add this control point to  $S$ .
- 7:   **for each** element  $(x_i, y_i, s_i)$  **in**  $S$  **do**
- 8:      $x_{new_i} \leftarrow A_{1,1} * x_i + A_{1,2} * y_i + A_{1,3} * s_i + A_{1,4}$
- 9:      $y_{new_i} \leftarrow A_{2,1} * x_i + A_{2,2} * y_i + A_{2,3} * s_i + A_{2,4}$
- 10:      $s_{new_i} \leftarrow A_{3,1} * x_i + A_{3,2} * y_i + A_{3,3} * s_i + A_{3,4}$
- 11:     replace the element  $(x_i, y_i, s_i)$  in  $S$  by  $(x_{new_i}, y_{new_i}, s_{new_i})$
- 12:   **end for**
- 13: **end for**



- Type of change in signal: Increment/Decrement
  - Updating control points with their differentials

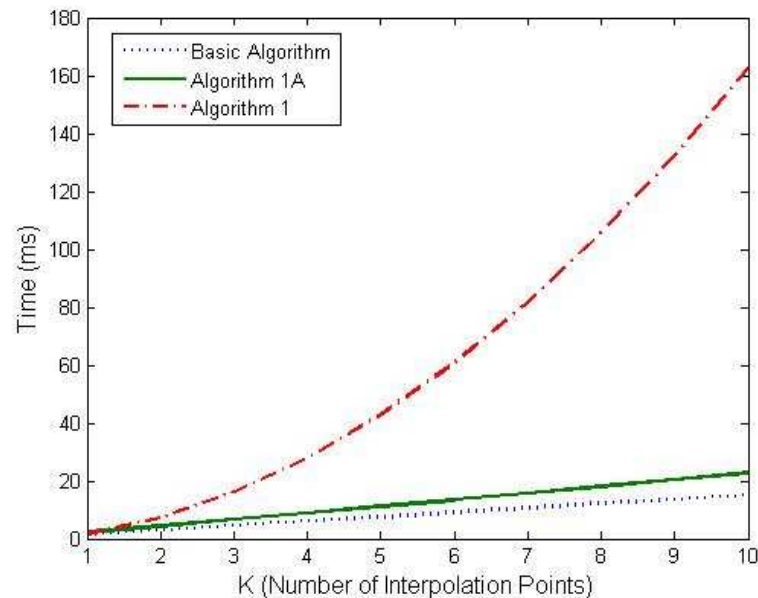
$$\begin{aligned}
 &: x_{new_i} \leftarrow 1 * x_i + 0 * y_i + 0 * s_i + 0 \\
 &: y_{new_i} \leftarrow 0 * x_i + 1 * y_i + 0 * s_i + 0 \\
 &: s_{new_i} \leftarrow 0 * x_i + 0 * y_i + 1 * s_i + g_i
 \end{aligned}$$

- Different algorithms
  - Having more information from the physical system  simpler algorithm
    - Constant differential at each point ( $O(k^2)$ )
    - Equal, constant differential for all the points ( $O(k)$ )

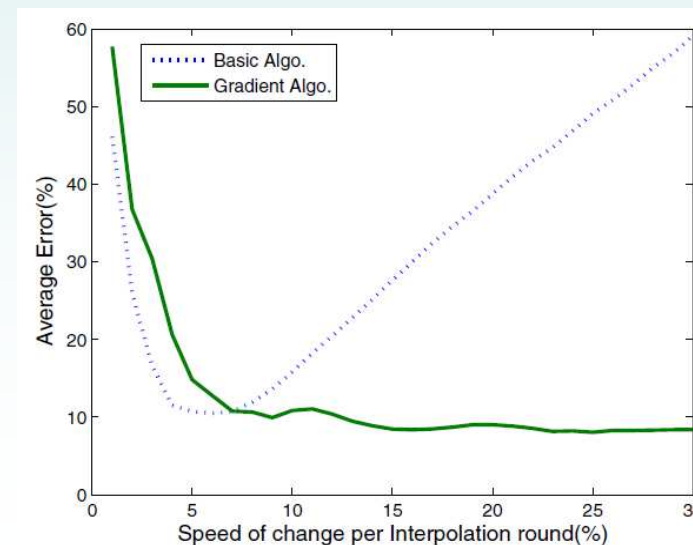
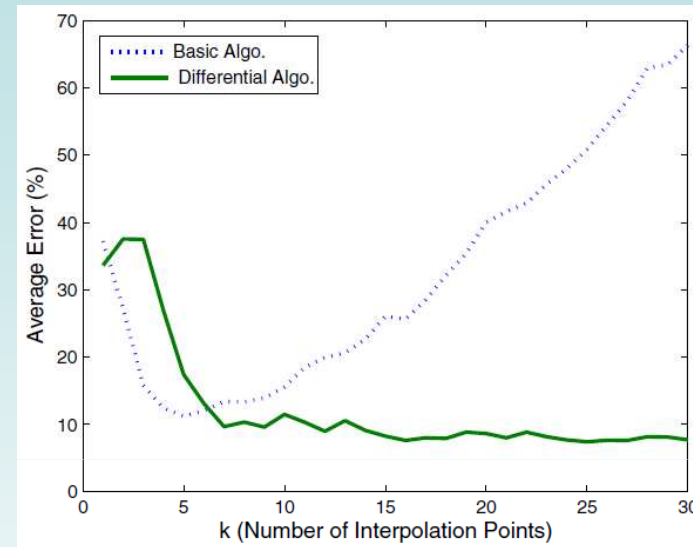


# Evaluation (1/3)

- Execution time:
  - In a MicaZ sensor network platform
    - Using one of the microcontroller's real-time clocks



- Average error
  - Dynamic signal with constant 4% change per interpolation round
  
  - Dynamic signal with random up to 4% change per interpolation round



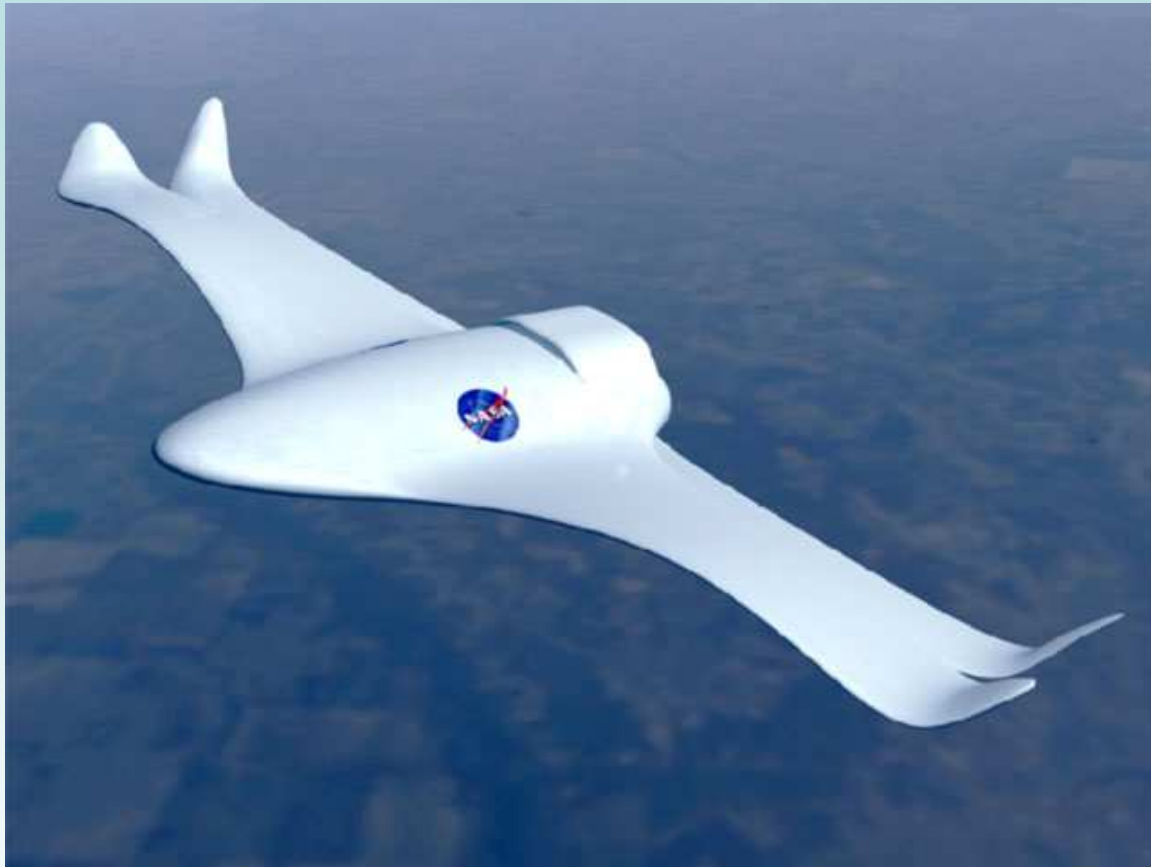
- K= 10

Algorithm	Type of change in signal per Interpolation round		
	<i>Different Increase (up to 4%)</i>	<i>4% Increase</i>	<i>1% Scaling</i>
Basic Algorithm	9.23	15.82	7.10
Algorithm 1A	9.75	10.96	7.91
Algorithm 2	8.49	10.36	7.94

- K=20

Algorithm	Type of change in signal per Interpolation round		
	<i>Different Increase (up to 4%)</i>	<i>4% Increase</i>	<i>1% Scaling</i>
Basic Algorithm	18.23	38.78	4.75
Algorithm 1A	6.19	8.99	4.96
Algorithm 2	5.70	9.01	4.74

- A data acquisition algorithm is proposed for a **dense** network of sensor nodes in a **dynamic** environment which is:
  - Distributed
  - Simple
  - Fast
  - Able to track the changes in the signal
    - Average error is non increasing with respect to time



Questions?